

## Pattern-non-pattern transition for a nonlocal population dynamics

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In this paper we propose a most general equation to study pattern formation for one-species population and their limit domains in systems of length  $L$  [1]. To accomplish this we include nonlocality[2] in the growth and competition terms where the integral kernels are now depend on characteristic length parameters  $\alpha$  and  $\beta$ . Therefore, we derived a parameter space  $(\alpha, \beta)$  [3] where it is possible to analyze a coexistence curve  $\alpha^* = \alpha^*(\beta)$  which delimits domains for the existence of pattern formation in population dynamics systems. We show the existence of a new order parameter  $\rho$  which measures the pattern-no-pattern transition for the population system [4]. We show that this new parameter has an analogy with classical order parameter in thermodynamics and critical phenomena physics. We have successfully compared this model with experimental data for diffusion of *Escherichia coli* populations.

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